

## Homework # 2 due Thursday 2/5

- 1-  $^{10}\text{B}$  Determine the Coulomb barrier for the nuclear reactions d-t, d-h, and p-
- 2-  $^{2.4}$  For Maxwellian distributed tritons at 9 keV, calculate
  - (a) the average kinetic energy,
  - (b) the average speed, and
  - (c) the kinetic energy derived from the average speed of (b). Compare the energies of (a) and (c), and explain any difference.
- 3-  $^{2.5}$  Transform  $M(v)$ , Eq.(2.14), into  $M(E)$ , Eq.(2.15), with the aid of the appropriate Jacobian.
- 4-  $^{2.6}$  Find  $M(E)$  from  $M(v)$  for the case of isotropy using spherical coordinates.

5. Derive an expression for  $\sigma \cdot v$  for a beam with a beam of uniform density  $n_1/cc$  having energies spread uniformly between  $E_1$  and  $E_2$  injected into a "target" Maxwellian plasma at temperature  $kT$  and density  $n_2/cc$ . Make a hand drawn estimate plot showing how this case would fall on fig 2.6 if the beam average energy =  $E_d$  of that case while the target plasma is the same. Explain your drawing and discuss selection of an "optimum"  $kT$  for the target plasma (note = indicate how you define "optimum" ).

Assignment – read Chapter 3.